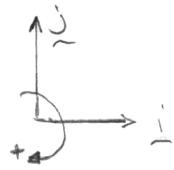
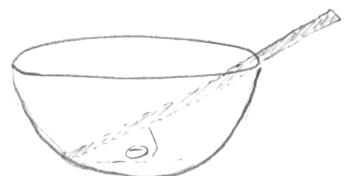
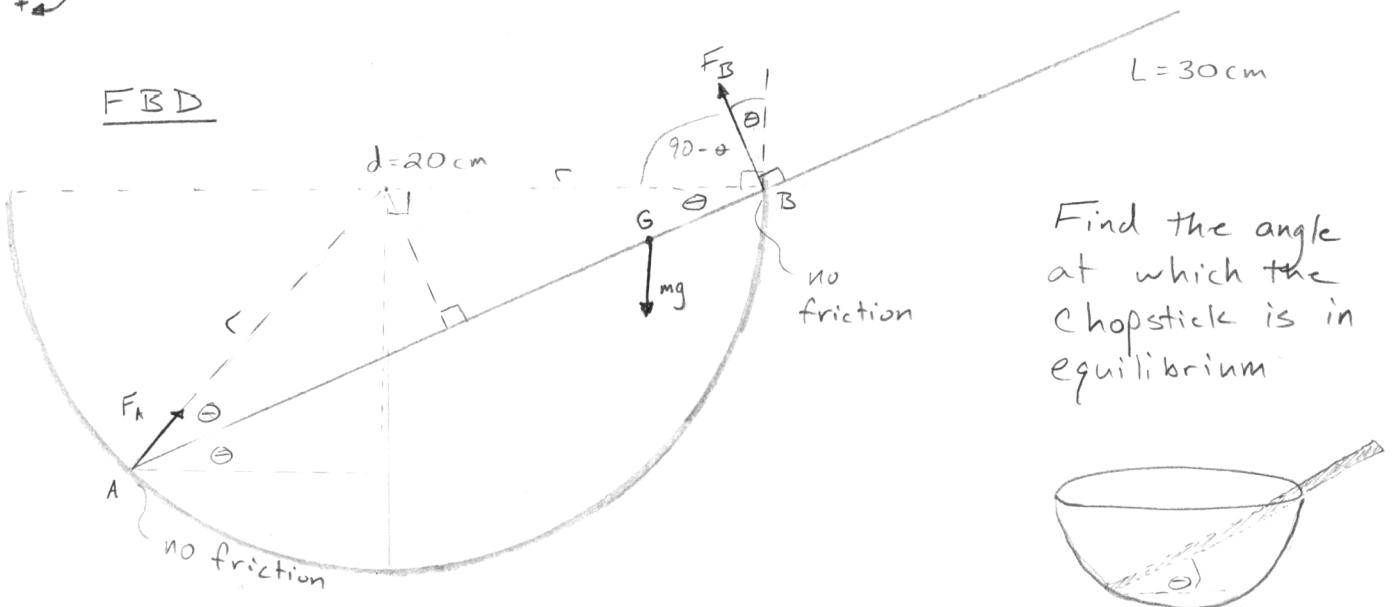


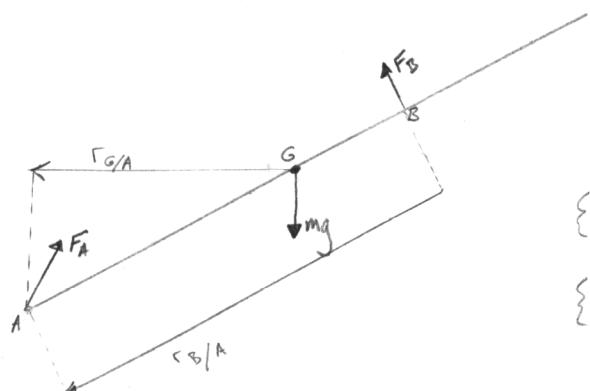
- No Solution Given to P2



FBD



FBD of chopstick
- w/ less clutter



$$\underline{\text{LMB}}: \Sigma F = 0$$

$$\left\{ -mgj + F_A \cos 2\theta i + F_A \sin 2\theta j \right.$$

$$\left. -F_B \sin \theta i + F_B \cos \theta j = 0 \right\}$$

$$\left\{ \begin{array}{l} \cdot i \\ \cdot j \end{array} \Rightarrow F_A \cos 2\theta - F_B \sin \theta = 0 \right. \quad (1)$$

$$\left\{ \begin{array}{l} \cdot i \\ \cdot j \end{array} \Rightarrow -Mg + F_A \sin 2\theta + F_B \cos \theta = 0 \right. \quad (2)$$

$$\text{AMB: } \sum \underline{r}_{\text{pos}} \times \underline{F}_i = \underline{0}$$

$$\left\{ \underline{r}_{B/A} \times \underline{F}_B + \underline{r}_{G/A} \times \underline{mg} = \underline{0} \right\}$$

$$\left\{ \right. \left. \cdot \underline{k} \Rightarrow -r_{B/A} F_B + r_{G/A} mg = 0 \right.$$

$$\begin{aligned} \underline{r}_{B/A} &= r \cos \theta + r \cos \theta \\ &= 2r \cos \theta \end{aligned}$$

$$r_{G/A} = \frac{L}{2} \cos \theta$$

$$-2r \cos \theta F_B + \frac{L}{2} \cos \theta mg = 0 \quad (3)$$

$$r = 10 \text{ cm} \quad L = 30 \text{ cm}$$

since $\cos \theta \neq 90^\circ, 270^\circ, \dots$ divide by $\cos \theta$

$$20 F_B = 15 mg \Rightarrow \underline{F}_B = \underline{\frac{3}{4} mg} \quad (4)$$

John Durkot
MAE 325 HW1
MATLAB solution

```
» eq1 = 'Fa*cos(2*th)-Fb*sin(th)=0.0';
» eq2 = '-mg+Fa*sin(2*th)+Fb*cos(th)=0.0';
» eq4 = 'Fb = 0.75*mg';
```

```
» solve(eq4,eq2,eq1,'Fa,Fb,th') ⇒ solving 3 egs.  
for Fa, Fb, th
```

ans =

Fa: [4x1 sym]
Fb: [4x1 sym]
th: [4x1 sym]

} 4 possible solutions for each variable

» ans.th

ans =

```
[ 2.1460453407562160993173040494085]
[ -2.1460453407562160993173040494085]
[ -.40514883191467585005401963560765]
[ .40514883191467585005401963560765]
```

sol 1 } mathematically correct but
sol 2 } physically impossible solutions
sol 3 } physically realistic solutions
sol 4 }

» theta = .40514883191467585005401963560765*(180/pi)
→ convert from radians to degrees

theta =

23.2133 degrees

»

